Digital Communication I: Modulation and Coding Course

Spring - 2015
Jeffrey N Denenberg

Lecture 1a: Course Introduction

Course information

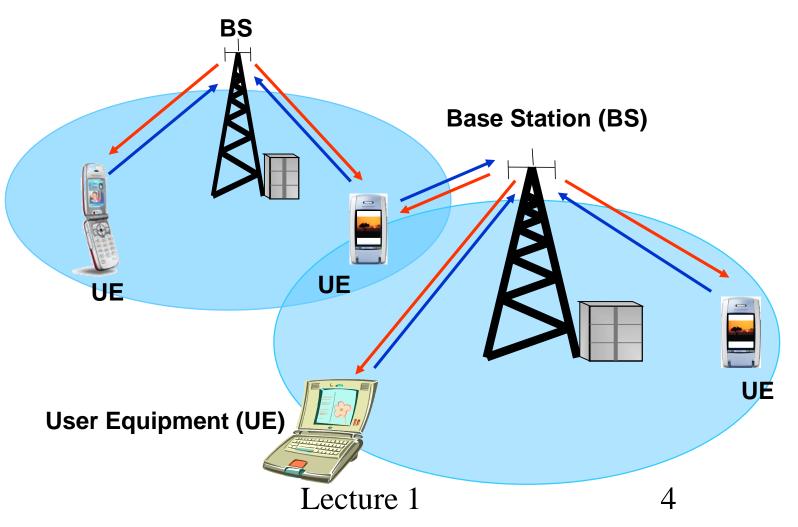
- Scope of the course
 - Digital Communication systems
- Practical information
 - Course material
 - Lay-out of the course in terms of Lectures, Tutorials, Project assignment,
 Exams
 - More detailed information on the Project
 - Lay-out of the course indicating which parts of the course are easier/more difficult.
 - Complete syllabus at: http://doctord.webhop.net
 - Introduction to digital communication systems

Scope of the course

- Communications is a process by which information is exchanged between individuals through a common system of symbols, signs, or behaviour
- "It is about communication between people; the rest is technology"
- Communication systems are reliable, economical and efficient means of communications
 - Public switched telephone network (PSTN), mobile telephone communication (GSM, 3G, 4G...), broadcast radio or television, navigation systems, ...
- The course is aiming at introducing fundamental issues required for understanding and <u>designing</u> a (digital) communication system (You will do a Design Project!)

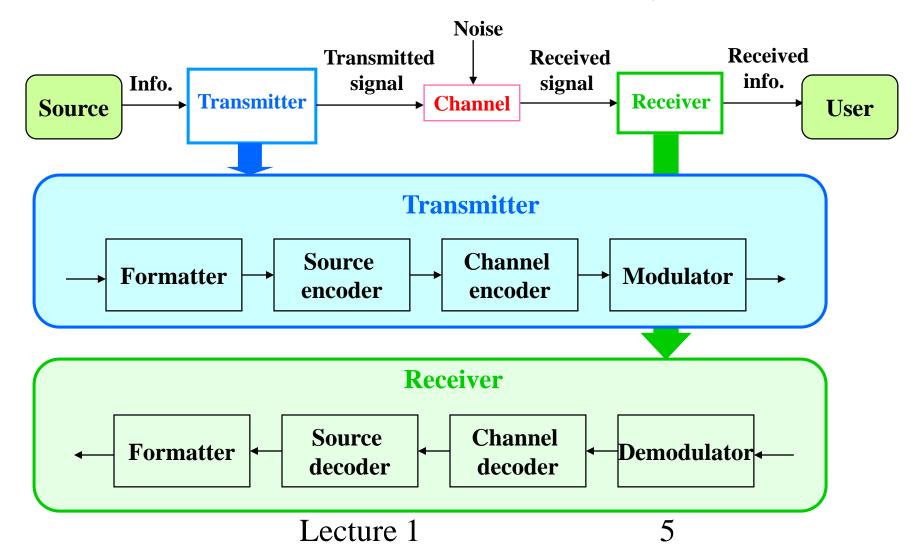
Scope of the course ...

Example of a (digital) communication system:
<u>Cellular wireless communication systems (WLAN, WSN...)</u>



Scope of the course ...

General structure of a communication system



Scope of the course ...

- Learning fundamental issues in designing a digital communication system (DCS):
 - Utilized techniques
 - Formatting and source coding*
 - Modulation (Baseband and bandpass signaling)
 - Channel coding
 - Equalization*
 - Synchronization*
 - **....**
 - Design goals
 - Trade-off between various parameters

^{*} Not covered in this course

Practical information

- Course material
 - Course text book:
 - "Digital communications: Fundamentals and Applications" by Bernard Sklar, Prentice Hall, 2001, ISBN: 0-13-084788-7
 - Additional recommended books:
 - "Analog and Digital Communications", Hsu, Hwei, (Schaum's Outlines), ISBN: 0-07-140228-4
 - "Communication systems engineering", by John G. Proakis and Masoud Salehi, Prentice Hall, 2002, 2nd edition, ISBN: 0-13-095007-6
 - Materials accessible from my homepage:

http://DoctorD.webhop.net

- Lecture slides (ppt)
- Tutorial Notes (pdf)
- Syllabus

Instructor

- Jeffrey N. Denenberg
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- Office Hours: Monday and Wednesday from 4:30 to 5:30 in McAuliffe Hall

Course Lay-out

- Lec 1: Introduction. Important concepts to comprehend. Difficulty: 2. Importance: 2.
- Lec 2: Formatting and transmission of baseband signals.
 (Sampling, Quantization, baseband modulation). Difficulty: 6. Importance: 7.
- Lec 3: Receiver structure (demodulation, detection, matched filter/correlation receiver). Diff.: 5. Imp: 5.
- Lec 4: Receiver structure (detection, signal space). Diff: 4. Imp.=:4
- Lec 5: Signal detection; Probability of symbol errors. Diff: 7. Imp: 8.
- Lec 6: ISI, Nyquist theorem. Diff: 6. Imp: 6.
- Lec 7: Modulation schemes; Coherent and non-coherent detection. Diff: 8. Imp: 9.
- Lec 8: Comparing different modulation schemes; Calculating symbol errors.
 Diff: 7. Imp: 9.
- Lec 9: Channel coding; Linear block codes. Diff: 3. Imp:7.
- Lec10: Convolutional codes. Diff: 2. Imp:8.
- Lec11: State and Trellis diagrams; Viterbi algorithm. Diff: 2. Imp: 9.
- Lec12: Properties of convolutional codes; interleaving; concatenated codes.
 Diff: 2. Imp: 5.
- You will be required to do a Design Project using MatLab to simulate your design and demonstrate it's performance in the presence of noise and Inter-Symbol interference (ISI). This includes a Design report and an in class PowerPoint presentation.

Helpful hints for the course

- This course uses knowledge from the pre-requisite courses (EE301, ...) so go back and review your notes. We will review/introduce Signal/System analysis topics as they are used.
- It is good a practice to print out slides for each lecture and bring them along.
- Take extra notes on these print-outs (I may complement the slides with black board notes and examples). Thus, make sure not to squeeze in too many slides on each page when printing the slides.
- Try to browse through the slides before each lecture and read the chapter in the text. This will really help in picking up concepts quicker.
- Attend the lectures and ask questions! If you miss a class, ask a friend for extra notes.
- I will frequently repeat important concepts and difficult sections during the subsequent lecture(s), so that you will have several chances to make sure that you have understood the concepts/underlying ideas.

Today, we are going to talk about:

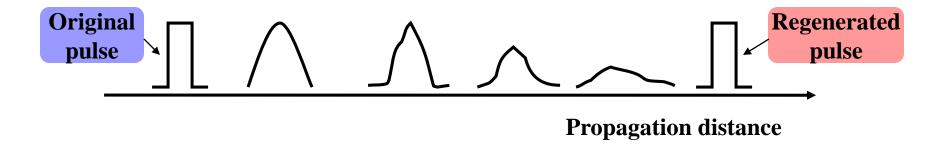
- What are the features of a digital communication system?
 - Why "digital" instead of "analog"?
- What do we need to know before taking off toward designing a DCS?
 - Classification of signals
 - Random processes see <u>Noise</u>
 - Autocorrelation
 - Power and energy spectral densities
 - Noise in communication systems
 - Signal transmission through linear systems
 - Bandwidth of a signal see <u>Shannon</u>

Digital communication system

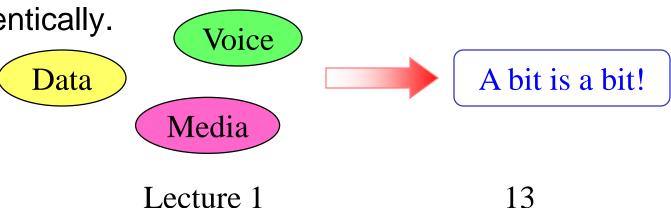
- Important features of a DCS:
 - The transmitter sends a waveform from a finite set of possible waveforms during a limited time
 - The channel distorts, attenuates the transmitted signal
 - The receiver decides which waveform was transmitted given the distorted/noisy received signal. There is a limit to the time it has to do this task.
 - The probability of an erroneous decision is an important measure of system performance

Digital versus analog

- Advantages of digital communications:
 - Regenerator receiver



Different kinds of digital signal are treated identically.

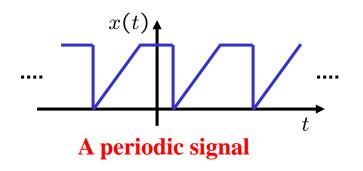


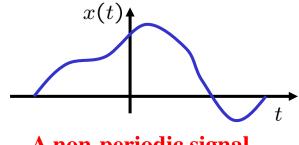
Classification of signals

- Deterministic and random signals
 - Deterministic signal: No uncertainty with respect to the signal value at any time.
 - Random signal: Some degree of uncertainty in signal values before it actually occurs.
 - Thermal noise in electronic circuits due to the random movement of electrons. See my notes on <u>Noise</u>
 - Reflection of radio waves from different layers of ionosphere
 - Interference

Classification of signals ...

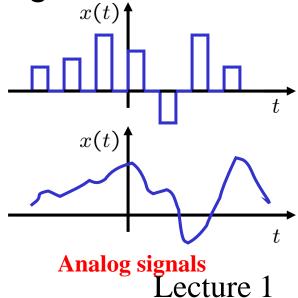
Periodic and non-periodic signals

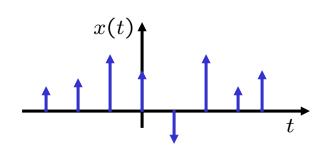




A non-periodic signal

Analog and discrete signals





A discrete signal

Classification of signals ...

- Energy and power signals
 - A signal is an <u>energy signal</u> if, and only if, it has nonzero but finite energy for all time:

$$E_{x} = \lim_{T \to \infty} \int_{T/2}^{T/2} |x(t)|^{2} dt = \int_{-\infty}^{\infty} |x(t)|^{2} dt$$

$$(0 < E_{x} < \infty)$$

A signal is a <u>power signal</u> if, and only if, it has finite but nonzero power for all time:

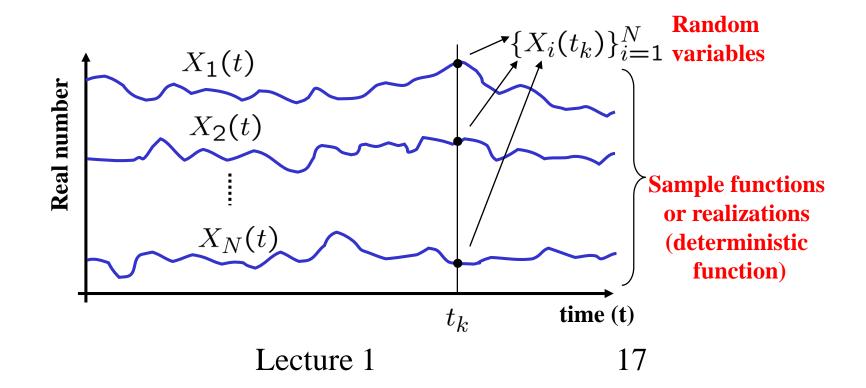
$$P_x = \lim_{T \to \infty} \frac{1}{T} \int_{T/2}^{T/2} |x(t)|^2 dt$$

$$(0 < P_x < \infty)$$

General rule: Periodic and random signals are power signals. Signals that are both deterministic and non-periodic are energy signals.

Random process

A random process is a collection (ensemble) of time functions, or signals, corresponding to various outcomes of a random experiment. For each outcome, there exists a deterministic function, which is called a sample function or a realization.



Random process ...

- Strictly stationary: If none of the statistics of the random process are affected by a shift in the time origin.
- Wide sense stationary (WSS): If the mean and autocorrelation functions do not change with a shift in the origin time.
- Cyclostationary: If the mean and autocorrelation functions are periodic in time.
- Ergodic process: A random process is ergodic in mean and autocorrelation, if

$$m_X = \lim_{T \to \infty} \frac{1}{T} \int_{-T/2}^{T/2} X(t) dt$$

and

$$R_X(\tau) = \lim_{T \to \infty} \frac{1}{T} \int_{-T/2}^{T/2} X(t) X^*(t - \tau) dt$$

respectively. In other words, you get the same result from averaging over the ensemble or over all time.

Autocorrelation

Autocorrelation of an energy signal

$$R_x(\tau) = x(\tau) \star x^*(-\tau) = \int_{-\infty}^{\infty} x(t)x^*(t-\tau)dt$$

Autocorrelation of a power signal

$$R_x(\tau) = \lim_{T \to \infty} \frac{1}{T} \int_{-T/2}^{T/2} x(t) x^*(t - \tau) dt$$

For a periodic signal:

$$R_x(\tau) = \frac{1}{T_0} \int_{-T_0/2}^{T_0/2} x(t) x^*(t - \tau) dt$$

Autocorrelation of a random signal

$$R_X(t_i, t_j) = \mathsf{E}[X(t_i)X^*(t_j)]$$

For a WSS process:

$$R_X(\tau) = \mathsf{E}[X(t)X^*(t-\tau)]$$

Spectral density

Energy signals:

$$E_x = \int_{-\infty}^{\infty} |x(t)|^2 dt = \int_{-\infty}^{\infty} |X(f)|^2 df \quad X(f) = \mathcal{F}[x(t)]$$

• Energy spectral density (ESD): $\Psi_x(f) = |X(f)|^2$

$$\Psi_x(f) = |X(f)|^2$$

Power signals:

$$P_x = \frac{1}{T_0} \int_{T_0/2}^{T_0/2} |x(t)|^2 dt = \sum_{n=-\infty}^{\infty} |c_n|^2 \quad \{c_n\} = \mathcal{F}[x(t)]$$

Power spectral density (PSD):

$$G_x(f) = \sum_{n=-\infty}^{\infty} |c_n|^2 \delta(f - nf_0)$$
 $f_0 = 1/T_0$

- Random process:
 - Power spectral density (PSD): $G_X(f) = \mathcal{F}[R_X(\tau)]$

$$G_X(f) = \mathcal{F}[R_X(\tau)]$$

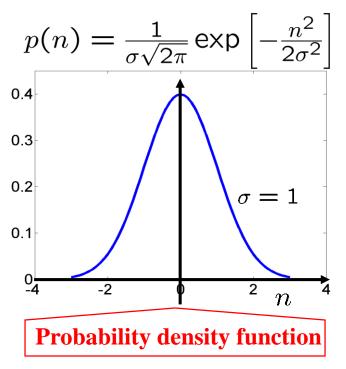
Lecture 1

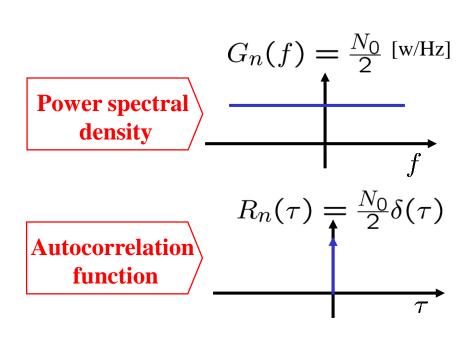
Properties of an autocorrelation function

- For real-valued (and WSS in case of random signals):
 - Autocorrelation and spectral density form a Fourier transform pair. – see <u>Linear systems</u>, <u>noise</u>
 - 2. Autocorrelation is symmetric around zero.
 - Its maximum value occurs at the origin.
 - 4. Its value at the origin is equal to the average power or energy.

Noise in communication systems

- Thermal noise is described by a zero-mean, Gaussian random process, n(t).
- Its PSD is flat, hence, it is called white noise. σ is the *Standard Deviation* and σ^2 is the *Variance* of the random process.





Lecture 1

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Signal transmission through linear systems

Input
$$x(t)$$
 $X(f)$ X

- Deterministic signals:
- Y(f) = X(f)H(f)

Random signals:

$$G_Y(f) = G_X(f)|H(f)|^2$$

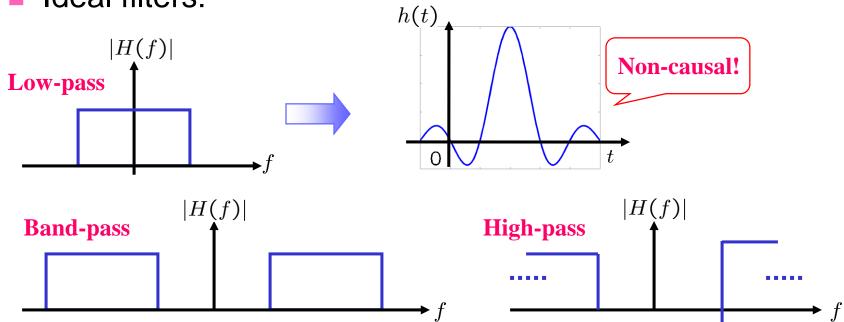
Ideal distortion less transmission:

All the frequency components of the signal not only arrive with an identical time delay, but also are amplified or attenuated equally. AKA "Linear Phase" or ""Constant group Delay".

$$y(t) = Kx(t - t_0) \text{ or } H(f) = Ke^{-j2\pi f t_0}$$

Signal transmission ... - cont'd

Ideal filters:



Realizable filters:

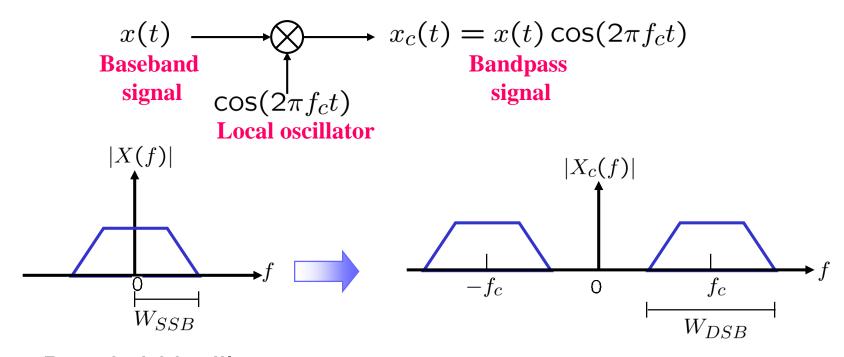
RC filters
$$H(f) = \frac{1}{1+j2\pi f\mathcal{RC}}$$

$$|H_n(f)| = \frac{1}{\sqrt{1+(f/f_u)^{2n}}}$$

Butterworth filter
$$|H_n(f)| = \frac{1}{\sqrt{1 + (f/f)^{2n}}}$$

Bandwidth of signal

Baseband versus bandpass:



- Bandwidth dilemma:
 - Bandlimited signals are not realizable!
 - Realizable signals have infinite bandwidth! We approximate "Band-Limited" in our analysis!

Lecture 1

Bandwidth of signal ...

- Different definition of bandwidth:
- a) Half-power bandwidth
- b) Noise equivalent bandwidth
- c) Null-to-null bandwidth

- d) Fractional power containment bandwidth
- e) Bounded power spectral density
- f) Absolute bandwidth

